Corrections to GTM 287: Beals & Wong
Explorations in Complex Functions

March 10, 2021

1 Corrections to the text

p.1, line 8, $\partial[\bar{f}] \quad \to \quad \partial\bar{f}$

p.29, last three line of Exercise 2: replace the hint with:

(Hint: parametrize S minus the north pole by $P(x,y) \;=\; (e^{iy}\cos x, \sin x)$ and write $\pi(P(x,y)) = X(x,y) + iY(x,y)$. Show that for each (x,y), the derivative of the map $(x,y) \to (X,Y)$ is a rotation multiplied by a scalar.)

p.31, Exercise 26, line 1: Suppose that L is the line $\{z : \operatorname{Re} z = 1\}$.

p.39, Exercise 7: the Euclidean center lies farther from the boundary (of $\mathbb{D}$).

p.57, equation (5.5.2) $\alpha_1 + \alpha_2 + \cdots + \alpha_n \;=\; n - 2.$

p.65, last line: Duren [40]

p.86, line 13: other sheets $\to$ other sheet

p.94, line 2: *kandz* $\to$ k and z

p.97, lines 7,8: interchange z and w: $w^2 = z$, $(z,w) \;=\; \left(\frac{t^2}{4}, \frac{t}{2}\right)$

p.116, line 7: the (8.6.2) $\to$ the equation (8.6.2)

p.119, Exercise 13 (b): (Hint: $\varphi_1'(0) \neq 0$.)

p.180, last line: $\sum_{n=1}^{\infty} \chi(p)p^{-s} \quad \to \quad \sum_{n=1}^{\infty} \chi(n)n^{-s}$.

p.182, Exercise 7, line 2: $\sum_{n=0}^{\infty} \frac{1}{(n+x)^s}$

p.182, Exercise 8 (a): $L(s,\chi) \;=\; \frac{1}{k^s}\sum_{m=1}^{k-1} \chi(m)\zeta\left(\frac{m}{k}, s\right)$.

p.216, Exercise 14: $(f')^2 - f^4$ is even ... . $(f')^2 \;=\; f^4 + af^2 + b$.

p.254, line 1: largesty $\to$ largest

2 Typesetting corrections

p.27, line 10, separate: the*Cayley*

p.77, line 1 of **6.6**, close up: polygon is

p.91, line -13, close up: *irreducible* if

p.93, line -8, close up: leading coefficient

p.155, line 1, close up: defined for

p.273, line above **19.3**, remove dots

http://www.springer.com/978-3-030-54532-1

Explorations in Complex Functions

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2020, XVI, 353 p. 30 illus., 29 illus. in color., Hardcover
ISBN: 978-3-030-54532-1